## Function calls and the run-time stack

## Beyond jump and return

- We've looked at how jumps to saved addresses create the control flow of procedure calls
- Functions also require a local environment to be arranged
- Abandoning our hypothetical mini-CPU, we can examine how $\mathbf{x} 86$-s do it


## The basic x86 approach

- Arguments need to go on the stack
- The calling function handles putting them there, and taking them away again
- Return address must go on the stack
- The calling function handles it, because it knows where to resume execution
- Local variables need to go on the stack
- The called function knows how much space they will need, and allocates it
- Stack is both local namespace and temporary results
- Stack pointer deals with intermediate results
- Frame pointer locates the start of the local namespace
- Return value must go somewhere
- A designated register plays this part


## Activation record of our factorial function

My frame ptr.
Return address
Argument: value of "result-1" (Intermediate data)
Local var: "result"
Caller's frame ptr.
Return address
Argument: "n"

```
int factorial (int n ) {
    int result = n;
    if (result > 1)
    result *= factorial ( result - 1 );
    return result;
}
Callee places these, when called
```

Generated function body places these

Caller places these, prior to

- call


## Calling factorial(3)

push 3
call factorial

ESP $\rightarrow$ <return adr>
3
(EBP is somewhere below)

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# factorial(3) receives 

push 3<br>call factorial<br>push EBP<br>move ESP into EBP

## ESP, EBP $\longrightarrow$ EBP before call <return adr>

## 3

## factorial() makes local space

push 3<br>call factorial<br>push EBP<br>move ESP into EBP

sub 4, ESP

# $\mathrm{ESP} \longrightarrow$ "result" <br> EBP $\rightarrow$ EBP before call <br> <return adr> 

## 3

## Assign argument n to "result"

```
push 3
call factorial
push EBP
move ESP into EBP
sub 4, ESP
move 12(EBP), EAX
move EAX, -4(EBP)
```



## Calculate result-1 for next call, push it as argument

push 3<br>call factorial

push EBP
move ESP into EBP
sub 4, ESP
move 8(EBP), EAX
move EAX, $-4(E B P)$
(...find out that 3-1 = 2 ...)
push 2


## Make the next call, thus pushing return adr.

```
push 3
call factorial
```

push EBP
move ESP into EBP
sub 4, ESP
move 8(EBP), EAX
move $E A X,-4(E B P)$
(...find out that 3-1 = 2...)
push 2
call factorial


## ...and the whole circus repeats...

push 2<br>call factorial<br>push EBP<br>move ESP into EBP<br>sub 4, ESP<br>move 8(EBP), EAX<br>move EAX, $-4(E B P)$<br>(...find out that 2-1 = 1...)<br>push 1<br>call factorial

## ...until return.

## Unwind factorial(1):

```
push }
call factorial
push EBP
move ESP into EBP
sub 4, ESP
move 8(EBP), EAX
move EAX, -4(EBP)
(...find out that 1 > 1 is false...)
move -4(EBP), EAX
move EBP, ESP
pop EBP
ret
```

| 二SP | "result" $=1$ | 4 |
| :---: | :---: | :---: |
| $E B P$ | EBP before factorial(1) |  |
|  | return adr. for factorial(2) |  |
|  | 1 |  |
|  | "result" $=2$ |  |
|  | EBP before factorial(2) |  |
|  | return adr. for factorial(3) |  |
|  | 2 |  |
|  | "result" $=3$ |  |
|  | EBP before factorial(3) |  |
|  | <return adr> | Trondheim |
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## Unwinding factorial(2)

add 4, ESP
...multiply EAX into -4(EBP)... move -4(EBP), EAX
move EBP, ESP
pop EBP
ret


## Unwinding factorial(3)

```
add 4, ESP
```

...multiply EAX into -4(EBP)...
move -4(EBP), EAX
move EBP, ESP
pop EBP
ret


## Returning to caller

```
add 4, ESP
```

...multiply EAX into -4(EBP)...
move -4(EBP), EAX
move EBP, ESP
pop EBP
ret

The answer is here

EBP off somewhere below
ESP
3

## A handful of details

- All my addresses are in multiples of 4 , on the assumption that "int" is 32 bits (4 bytes)
- x86 stack space grows from high to low addresses, because it starts from the end of the process image:

0 text data heap $\rightarrow$

- "push" subtracts from the stack pointer
- "pop" adds to the stack pointer


## A handful of white lies

- This was almost the sequence of operations you'll get out if you punch in "factorial.c" and run it through "cc -m32-S factorial.c" to get the x86 assembly
...but not quite...
- The dimensioning of local space (movement of ESP at activation) isn't exactly flush with the number of local variables
- I skipped evaluation of conditionals and multiplication
- We've covered them in TAC, and can do them up in assembly later
- Syntax deviates
- You can't copy-paste what's written here and expect it to assemble


## The focal point

- Function call in TAC looks like this param t1
param t3
param x
call foo
for a function foo(a,b,c)
- The 'param' notation has an immediate interpretation in IA-32 assembly, i.e. "push the parameter on stack"
- It has a slightly different one in x86_64 which we'll look at later
- Together, they may clarify why a low-IR (abstract assembler) has use for the 'param' notation


## Secondary points

- We didn't talk a lot about indirect addressing, except for its use in arrays
i.e. expressions like $\mathrm{t} 2=12(\mathrm{t} 1)$
to mean "the value 12 addresses away from that in t 1 "
- The layout of an activation record makes an obvious use of it

Local variables are translated into stack positions, located by their offset from the frame pointer

## Back to the overview

- Expressions translate into strings of operations, with temporaries for intermediate results
- Loops and conditionals translate into evaluation code for the condition, followed by fixed control flow patterns
- Function call and return translates into buffering up the arguments and jumping to the function
- Function bodies translate into a machine-related convention for where to find the arguments and where to put the local environment


## The Keys to the Kingdom

- What hasn't been mentioned is that these translation patterns are not final definitions taken from the Great Standard of Program Constructions ${ }^{\text {™ }}$
- They are devices we invent to give source languages their meaning
- If you implement another translation of switch statements, you redefine what every source program with a switch in will do
- If you invent a new language construct, the translation pattern you assign to it will specify what it can be used for
- This is the biggest takeaway from compiler construction: The evaluation rules you learn for any language only appear because someone decided to implement them that way

The processor doesn't care, you can make different rules if you like.

## Inefficiencies that appear

- Duplicate values

$$
\begin{aligned}
\mathrm{t} 1 & =\mathrm{x} \\
\mathrm{t} 2 & =\mathrm{y} \\
\mathrm{t} 3 & =\mathrm{t} 1+\mathrm{t} 2
\end{aligned}
$$

might as well be

$$
t 1=x+y
$$

if the expression-translation recognizes the special case where its operands are terminals

## 

- Temporary vars. have limited lifespan:

$$
\begin{aligned}
\mathrm{t} 1 & =1 \\
\mathrm{t} 2 & =2 \\
\mathrm{t} 3 & =1+2 \\
\mathrm{t} 4 & =6 \\
\mathrm{t} 5 & =7 \\
\mathrm{t} & =\mathrm{t} 4+\mathrm{t} 5
\end{aligned}
$$

might as well re-use t 1 , t 2

$$
\begin{aligned}
& \mathrm{t} 1=6 \\
& \mathrm{t} 2=7 \\
& \mathrm{t} 4=\mathrm{t} 1+\mathrm{t} 2
\end{aligned}
$$

when their work is done.

- Pro: less space
- Con: less precise analyses at optimization $\Delta$


## Jumps to unconditional jumps

If $a$ then if $b$ then $c=d$ else $e=f$ else $g=h$
becomes
ifFalse a goto L1
ifFalse b goto L2
$c=d$
jump Lend2
L2:
$e=f$
Lend2:
jump Lend1
L1:
$\mathrm{g}=\mathrm{h}$
Lend1:

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## This may as well shortcut

If $a$ then if $b$ then $c=d$ else $e=f$ else $g=h$


