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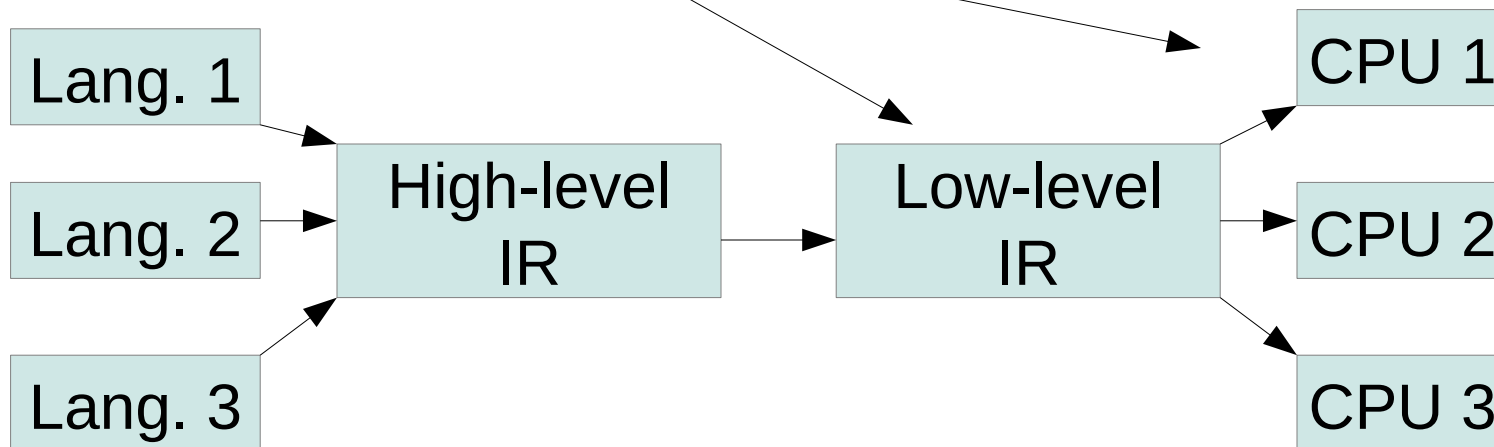
Instruction selection

Where we are

- We have a fairly low-level view of the program, but
 - It features a memory model of infinite temporary variables
 - It isn't specific in terms of operations provided by the architecture
- These will be our last two topics
 - Selecting machine-specific operations
 - Mapping variables to memory locations

Low-IR vs. machinery

- The instructions of low-level IR are not the same as the target machine



Straightforward solution

- Map every low-level IR to a fixed sequence of assembly instructions

$x = y + z \rightarrow$

```
move y,r1
move z,r2
add r1,r2
move r2, x
```

- Disadvantages:
 - Lots of redundant operations
 - More memory traffic than necessary



There may be several alternatives

- Translate $a[i+1] = b[j]$ using these operations

add r2,r1	←	$r1 = r1 + r2$
mul c, r1	←	$r1 = r1 * c$
load r2, r1	←	$r1 = *r2$
store r2, r1	←	$*r1 = r2$
movem r2, r1	←	$*r1 = *r2$
movex r3, r2, r1	←	$*r1 = *(r2+r3)$



The general steps

Let's say that everything is 8-byte elements, and

- Register r_a holds $\&a$
- Register r_b holds $\&b$
- Register r_i holds i
- Register r_j holds j

$a[i+1] = b[j]$ needs to

- Find address of $b[j]$
- Load $b[j]$
- Find address of $a[i+1]$
- Store into $a[i+1]$



One translation

- Address of $b[j]$

```
mulc 8, rj
add rj, rb
```

- Load $b[j]$

```
load rb, r1
```

- Address of $a[i+1]$

```
add 1, ri
mulc 8, ri
add ri, ra
```

- Store into $a[i+1]$

```
store r1, ra
```

TAC

```
t1 = j*8
t2 = b+t1
t3 = *t2
t4 = i+1
t5 = t4*8
t6 = a+t5
*t6 = t3
```



Another translation

- Address of $b[j]$

```
mulc 8, rj
add rj, rb
```

- Address of $a[i+1]$

```
add 1, ri
mulc 8, ri
add ri, ra
```

- Store into $a[i+1]$

```
movem rb, ra
```

TAC

```
t1 = j*8
t2 = b+t1
t3 = *t2
t4 = i+1
t5 = t4*8
t6 = a+t5
*t6 = t3
```



One more translation

- Address of $b[j]$

`mulc 8, rj` ←

- Address of $a[i+1]$

`add 1, ri`

`mulc 8, ri` ←

`add ri, ra`

- Store into $a[i+1]$

`movex rj, rb, ra`

TAC

`t1 = j*8`

`t2 = b+t1`

`t3 = *t2`

`t4 = i+1`

`t5 = t4*8`

`t6 = a+t5`

`*t6 = t3`



Why care?

- Not all instructions are created equal
- Some complete in a clock cycle
- Others decompose into a sequence of steps, and take many
- If we have a choice of translations, we'd like the one with the smallest sum of costs

Partial instructions aren't necessarily adjacent

- Address of b[j]

```
mulc 8, rj
```

- Address of a[i+1]

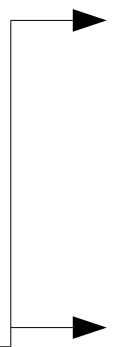
```
add 1, ri
mulc 8, ri
add ri, ra
```

- Store into a[i+1]

```
movex rj, rb, ra
```

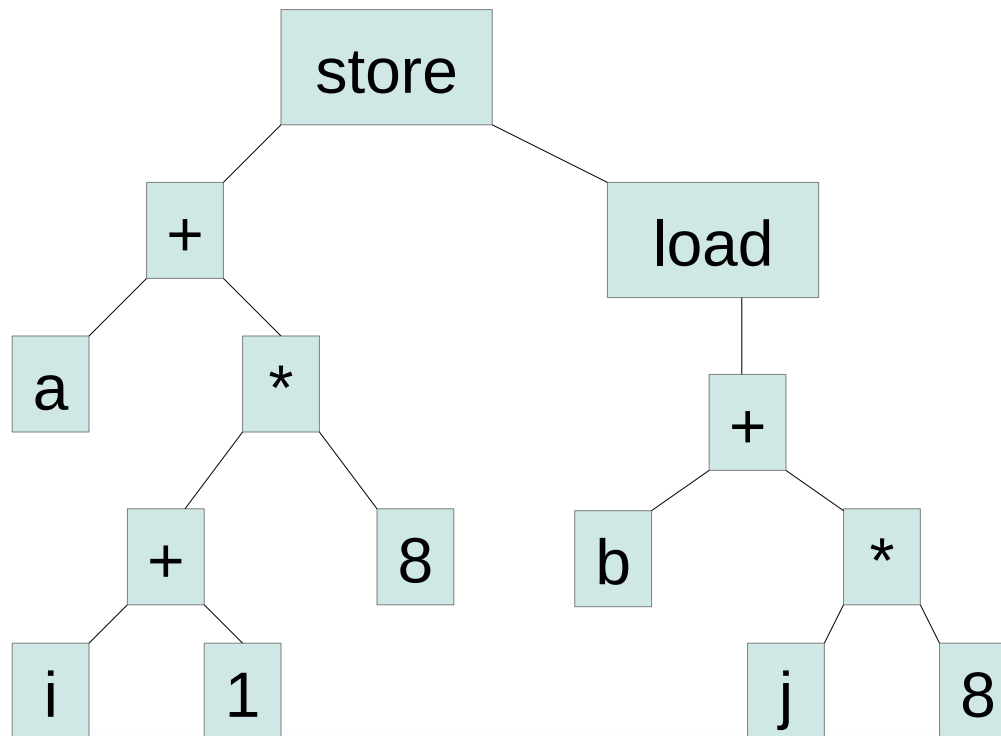
TAC

```
t1 = j*8
t2 = b+t1
t3 = *t2
t4 = i+1
t5 = t4*8
t6 = a+t5
*t6 = t3
```



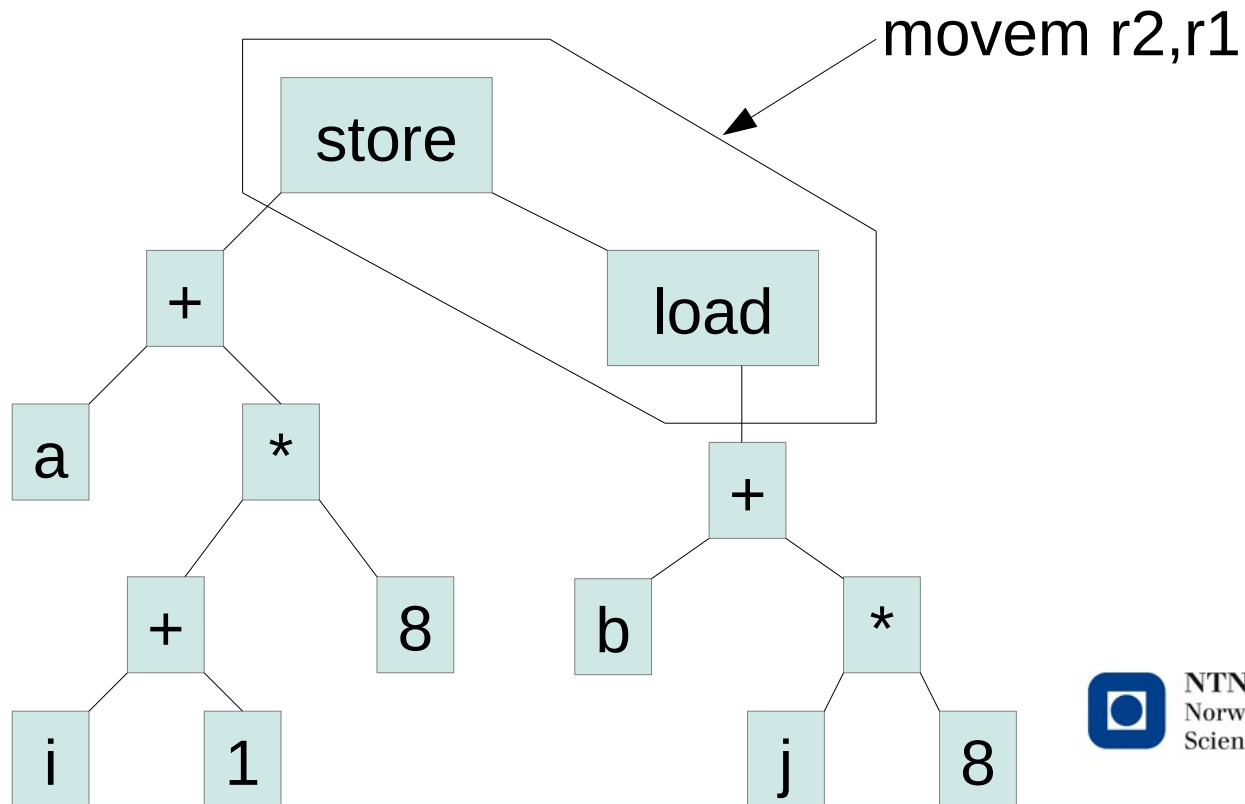
Tree representation

- The 4 overall steps can be written as a tree



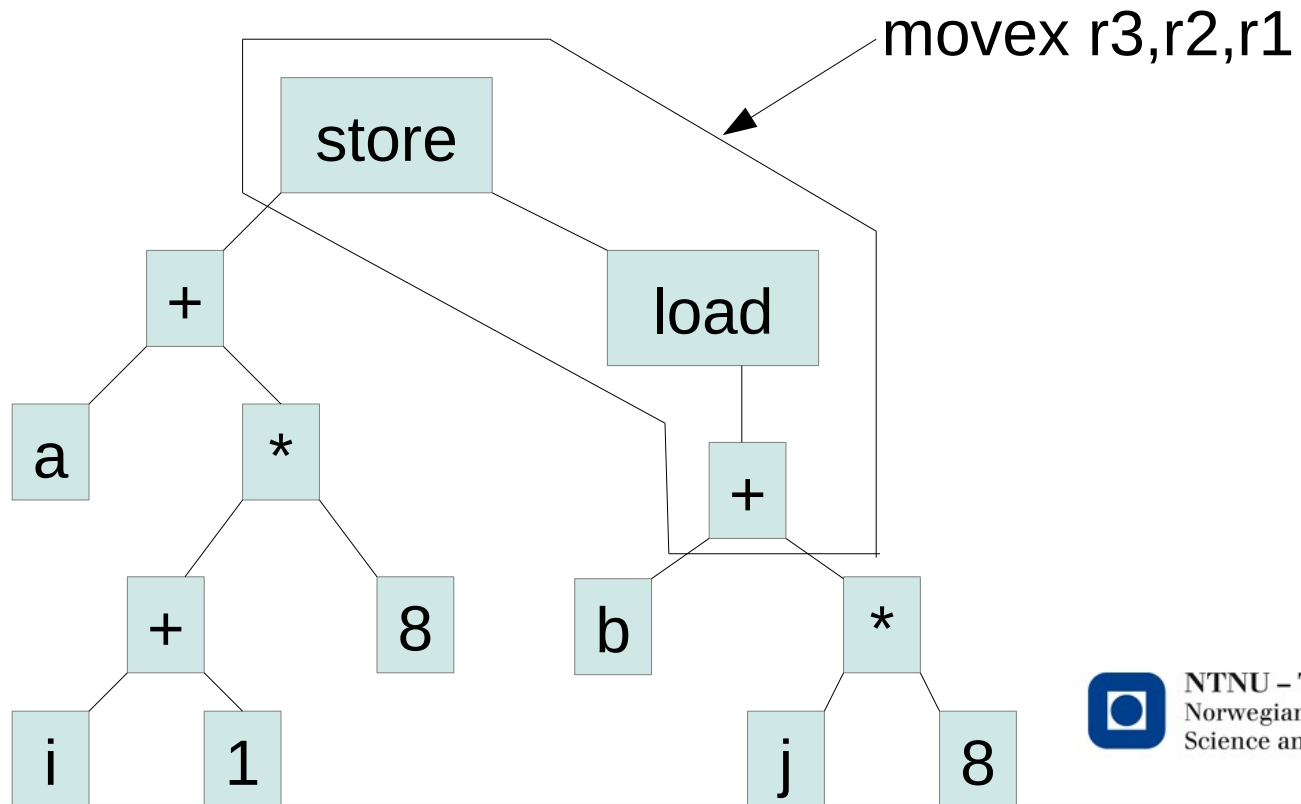
Instructions can be *tiles*

(Subtrees of a particular pattern)



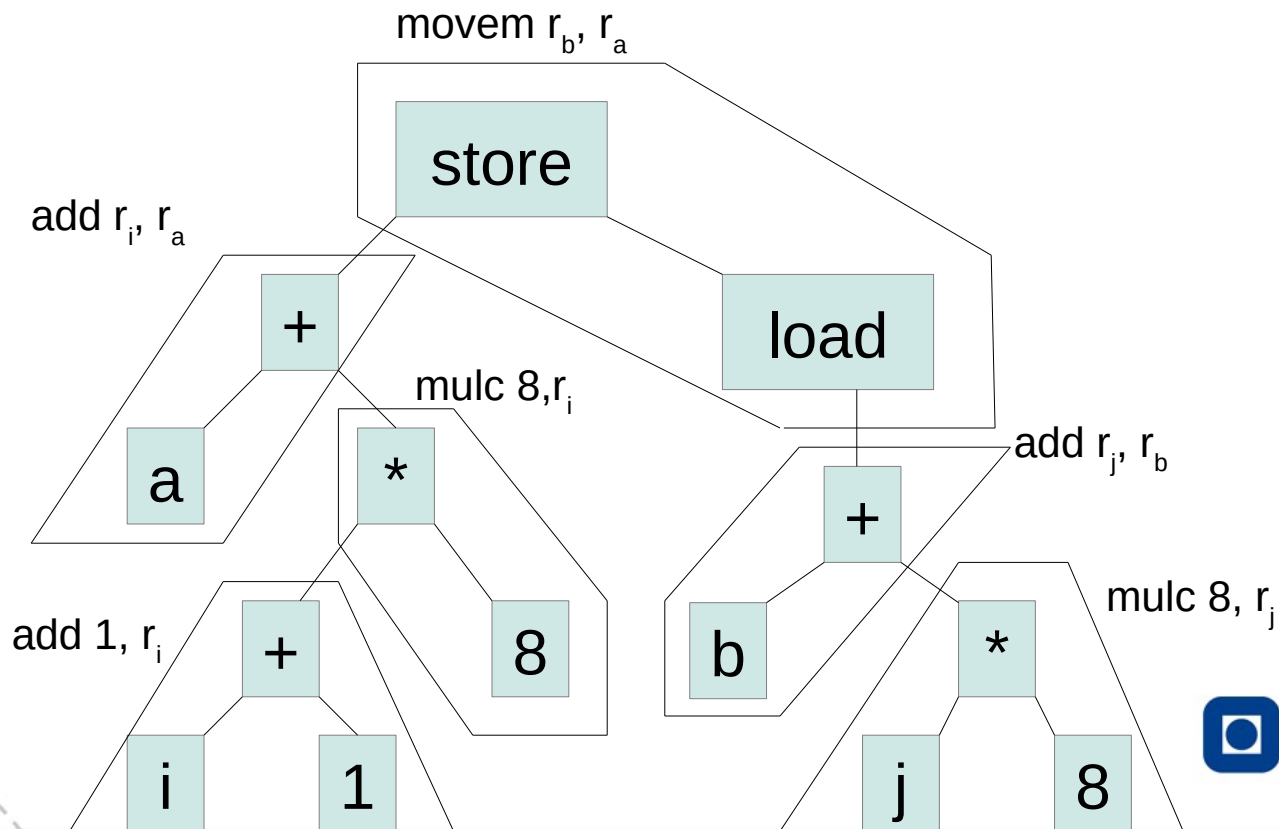
Instructions can be *tiles*

(Subtrees of a particular pattern)



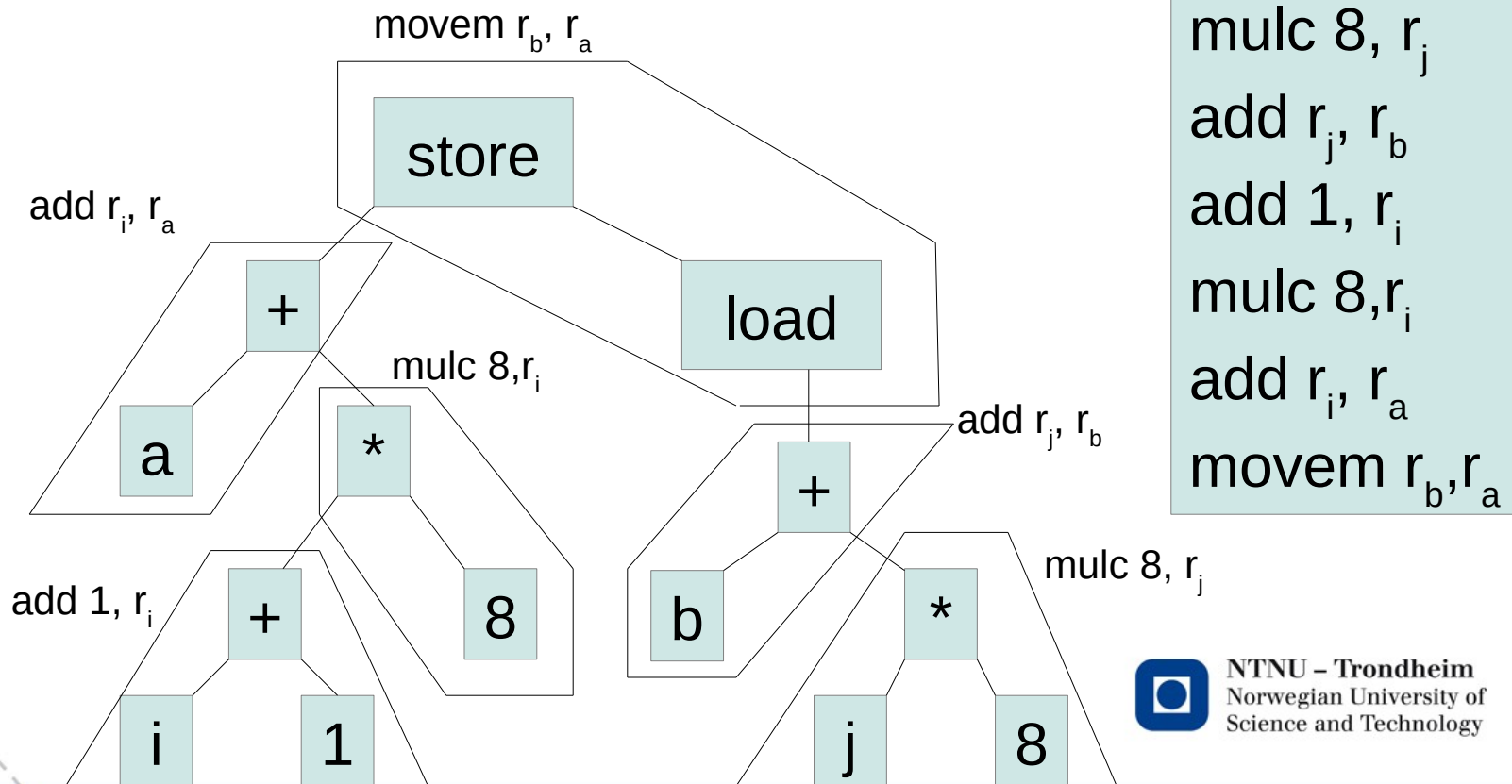
Tiling

An instruction selection covers the tree with disjoint tiles



Tiling

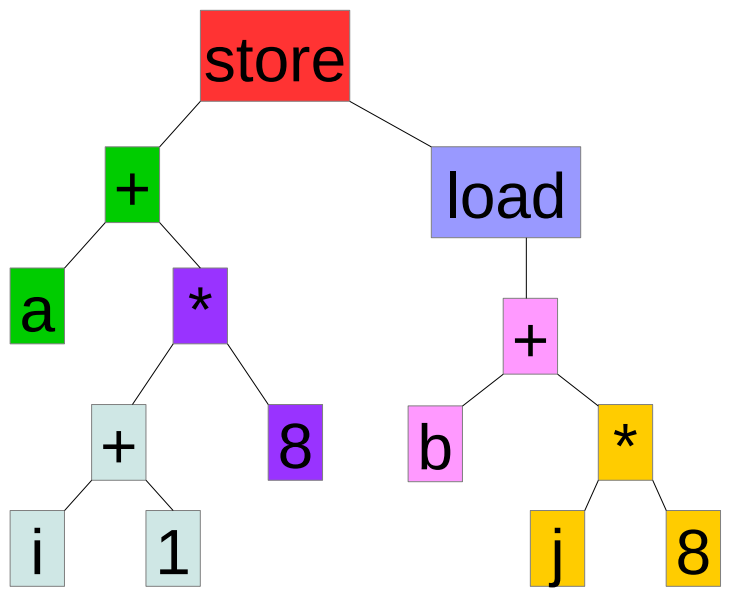
An instruction selection covers the tree with disjoint tiles



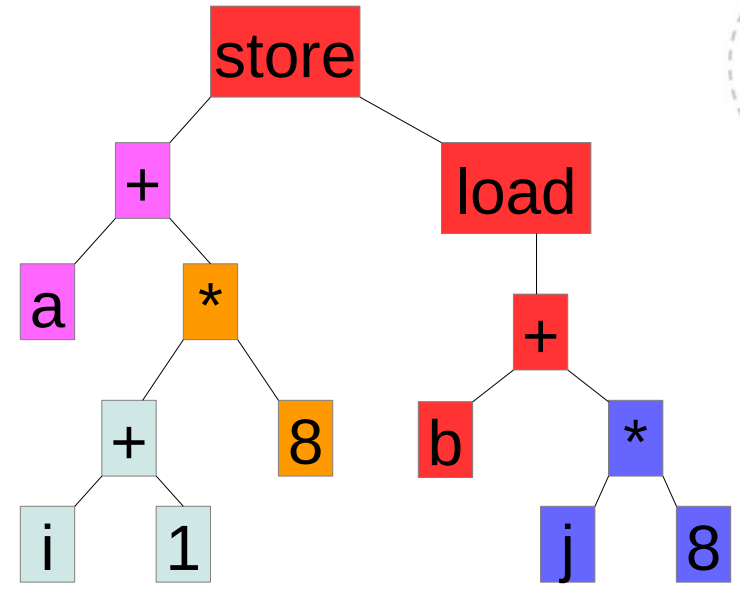
Tilings for comparison

Alternate tilings give different costs

Using store r_b, r_a



Using movex r_j, r_b, r_a



Better than trees

- If we let common sub-expressions be represented by the same node, the trees become *directed acyclic graphs* (DAGs)
- Separate labels and annotations
 - Label nodes with variables, constants or operators
 - Annotate nodes with variables that hold their value
 - Construct DAG from low-level IR

Basic procedure

- For each instruction in a basic block
 - if it's " $x = y \text{ op } z$ "
 - find or create a node annotated y
 - find or create a node annotated z
 - find or create a node labeled op with operands y and z
 - remove annotation x from everywhere
 - add annotation x to the op node
 - if it's " $x = y$ "
 - find or create a node annotated y
 - add annotation x to it



Like so: step 1

$t = y + 1$

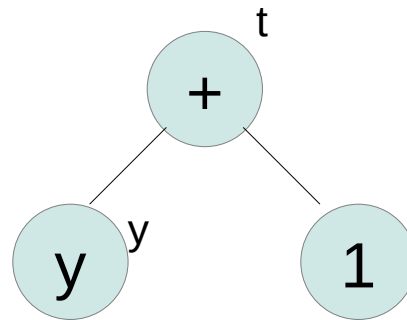
$w = y + 1$

$y = z * t$

$t = t + 1$

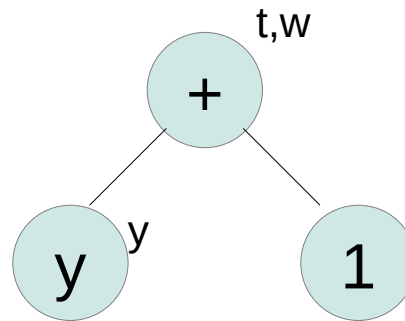
$z = t * y$

$w = z$



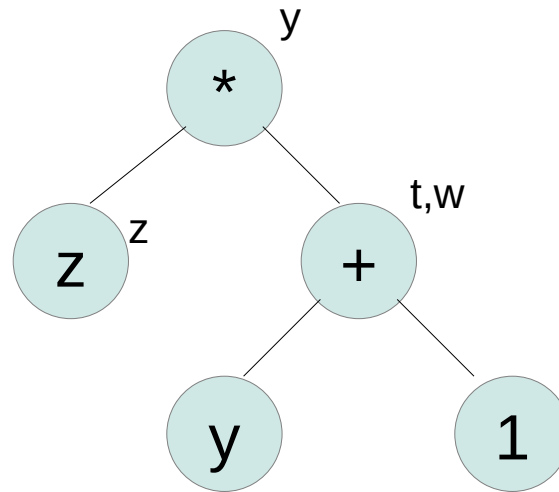
Like so: step 2

```
t = y + 1  
w = y + 1  
y = z * t  
t = t + 1  
z = t * y  
w = z
```



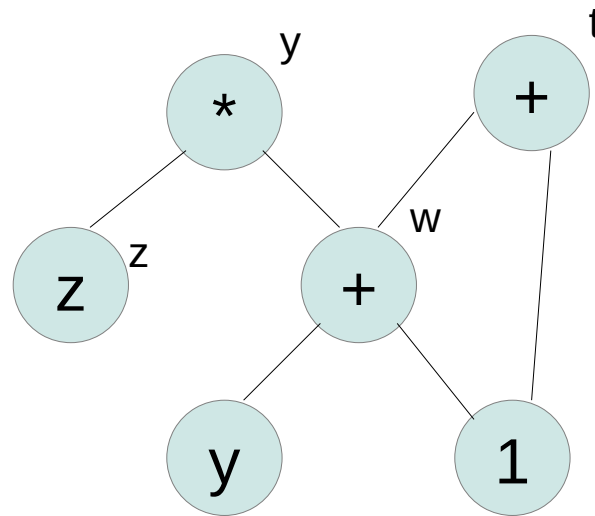
Like so: step 3

```
t = y + 1  
w = y + 1  
y = z * t  
t = t + 1  
z = t * y  
w = z
```



Like so: step 4

```
t = y + 1  
w = y + 1  
y = z * t  
t = t + 1  
z = t * y  
w = z
```

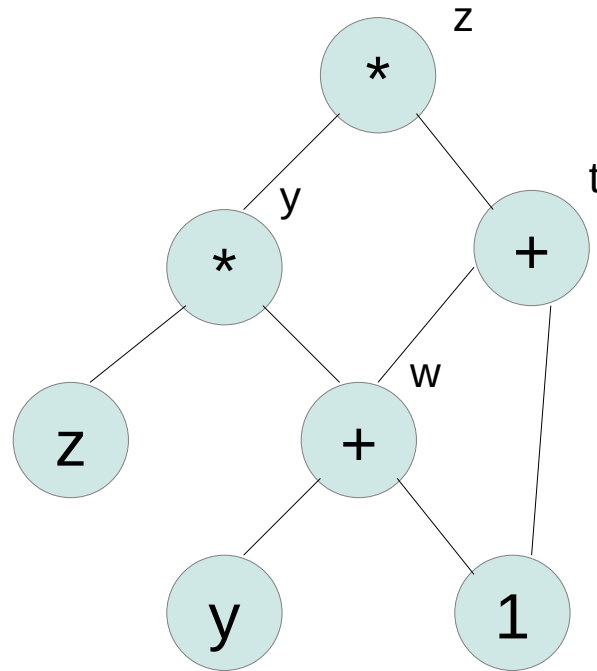


Like so: step 5

```

t = y + 1
w = y + 1
y = z * t
t = t + 1
z = t * y
w = z

```



Like so: step 6

```

t = y + 1
w = y + 1
y = z * t
t = t + 1
z = t * y
w = z

```

